

Generating Size-Parameterized Functions for Circuit Simulation Using Template Haskell

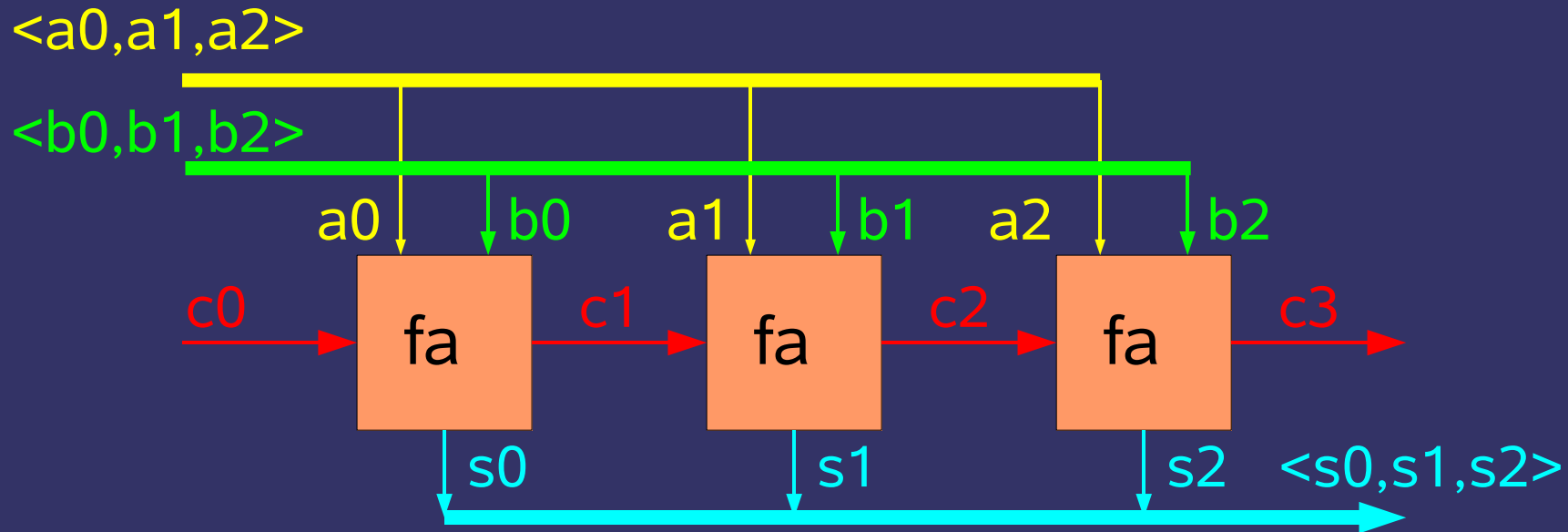
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**Talk at the IFIP-WG 2.11 Meeting
Dagstuhl, January 2006**

Overview

- Problem
- Template Haskell
- Big Picture
- Main Skeletons
- Example Circuit Designs
- Index Transformations
- Conclusions

Problem: Representation of Wire Bundles



Choices: Lists, Arrays, Tuples

Pros and Cons of Bundle Representations

| | List | Array | Tuple |
|------------------|------|-------|-------|
| flexible length | ✓ | ✓ | ✗ |
| type-safe length | ✗ | ✗ | ✓ |
| inhomogeneous | ✗ | ✗ | ✓ |
| efficiency | ✗ | ? | ✓ |

→ use Template Haskell to make tuples flexible!

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Template Haskell, Properties

- Homogeneous, two-level
- Manually annotated
- Static (compile-time) generation
- Lexical scoping
 - automatic renaming of local variables
 - cross-stage persistence
- Type safety of generated program
- Observability

Template Haskell, High-Level Annotations

• Quasi-Quotation

- encloses part of object program
- syntax: `[| \x -> x*x |]`
- typechecked after construction of quoted part is complete

• Splicing

- inserts code stored in meta variable in object part
- syntax: `[| \dynarg -> $(fcode statarg) dynarg |]`
- evaluated when code for quasi-quotation is constructed

Template Haskell, Simple Low-Level Example

Metaprogram

```

sel :: Int -> Int -> Q Exp
sel i n =
  do
    let as = [ mkName ("a" ++ show j)
              | j<-[1..n] ]
        pat = TupP (map VarP as)
    return (LamE [pat] (VarE (as!!(i-1))))

```

Use in Application

... + \$(sel 5 6) x - ...



Generated Function

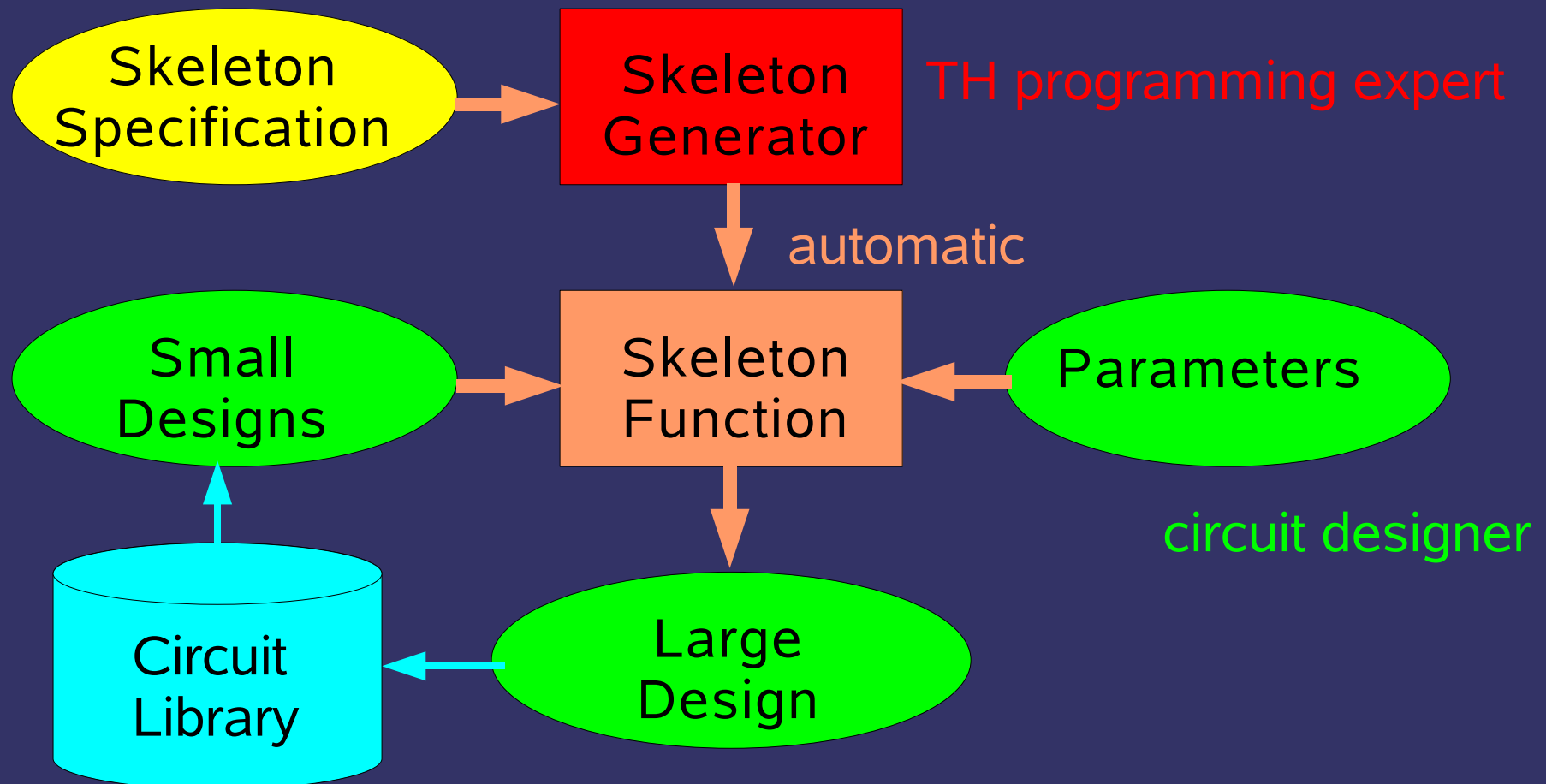
(\a1, a2, a3, a4, a5, a6) -> a5)

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Big Picture

DSL language designer



Overview

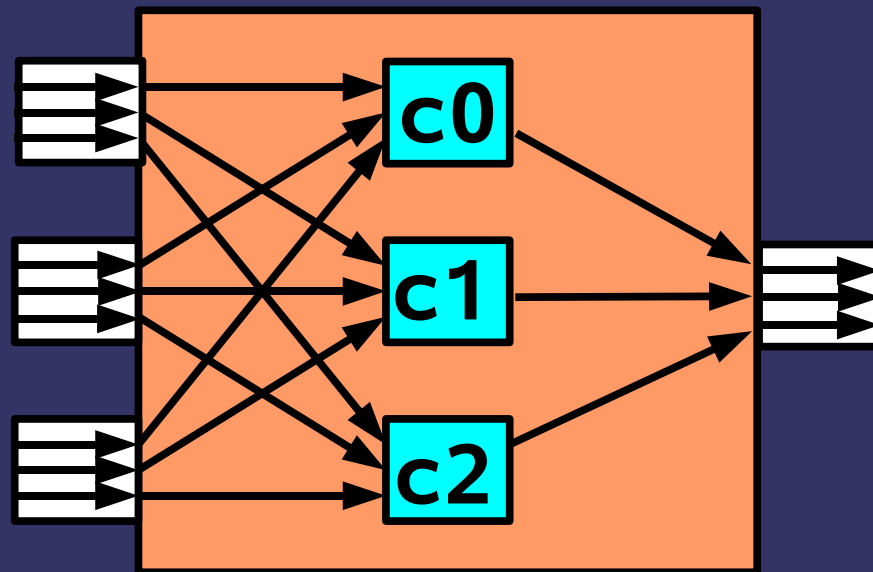
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Main Skeletons

- Design Composition (parallel, sequential)
 - parameters: degree, arity, component design
 - parallel: components are independent
 - sequential: components are connected linearly
 - wires are connected to bundles (tuples)
- Wiring Patterns
 - given: 2D-index transformation function (Haskell)
 - output: mapping between bundles of wire bundles

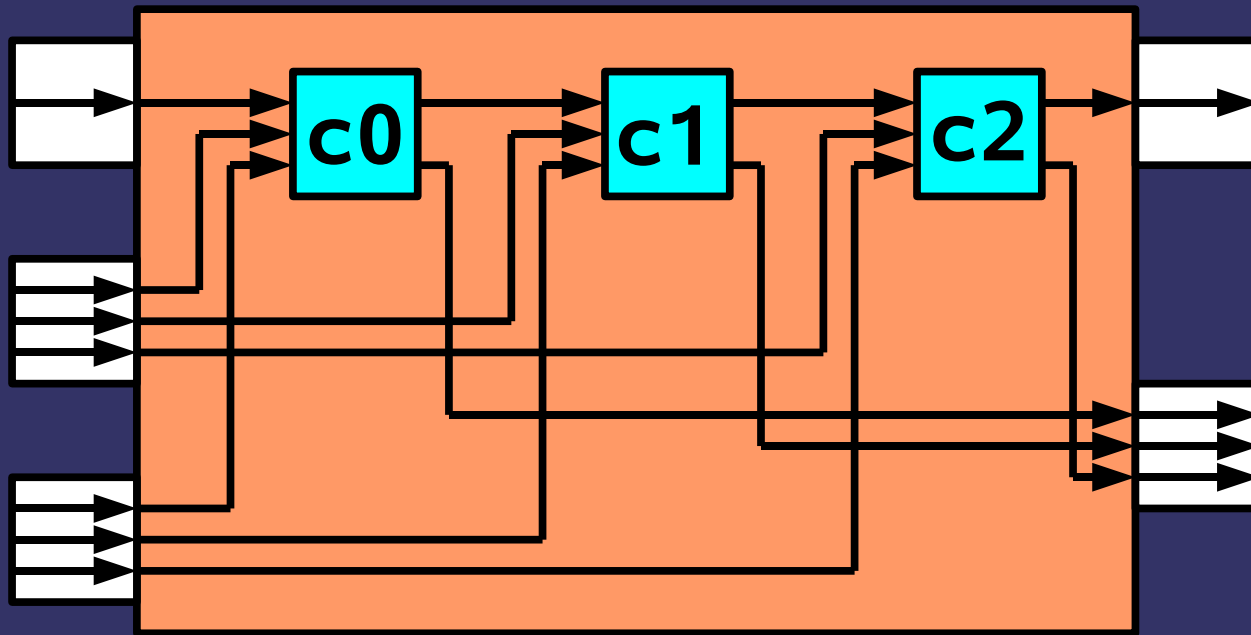
Parallel Composition Example

- parameters: degree=3, arity=3, component=($\backslash i \rightarrow c_i$)
- corresponding ports are bundled in the composition
- component outports can be bundles themselves



Sequential Composition Example

- parameters: degree=3, arity=2, component=($\backslash i \rightarrow c \ i$)
- components are connected by their first ports
- other ports are bundled elementwise



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Example Design (1): *n*-bit Increment and Adder

```

wordInc, wordAdder :: Int -> Q Exp
wordInc  n =
  mSeq n 1 (const (\ [c,x] ->
                    [ | halfAdder($c,$x) | ]))
wordAdder n =
  mSeq n 2 (const (\ [c,x,y] ->
                    [ | fullAdder($c,$x,$y) | ]))

```


Example Design (1b): Splice

```
wordAdder n =
  mSeq n 2 (const (\ [[c,x,y]] ->
                    [| fullAdder($c,$x,$y) |]))
```

```
$(wordAdder 3) =====>
\ ~(a0,(x0_0, x0_1, x0_2),(x1_0, x1_1, x1_2))
-> let
    ~(a1, y0) = fullAdder (a0, x0_0, x1_0)
    ~(a2, y1) = fullAdder (a1, x0_1, x1_1)
    ~(a3, y2) = fullAdder (a2, x0_2, x1_2)
  in (a3, (y0, y1, y2))
```

Example Design (2): n-bit Multiplexer

```

multiplex :: Int -> Q Exp
multiplex n =
  [| \ (sel, xs, ys)
    -> $(skelPar n 2 ( \_ [[x, y]] ->
                        [| mux(sel, $x, $y) | ]))
    (xs, ys) | ]

```

```

$(multiplex 3)  =====>
  \ (sel, xs, ys)
    -> \ ~( (x0, x1, x2), (x3, x4, x5) )
        -> let
            ~x6 = mux (sel, x0, x3)
            ~x7 = mux (sel, x1, x4)
            ~x8 = mux (sel, x2, x5)
          in (x6, x7, x8)
    (xs, ys)

```

Example Design (3): $m \times n$ -bit Sequential Multiplier

```

seqMultiplier m n =
  [| \ (zero,one,init,step,operand1,operand2)
    -> let (xLSB,_) = $(shRegister m) (init,step,zero,$(wRev m) operand1)
          yReg     = $(register n) (init,operand2)
          maskedY  = $(skelPar n 1 (\_ [[yi]] -> [| and2(xLSB,$yi) |])) yReg
          newZ     = $(skelPar (m+n) 1 (\_ [[zi]] ->
                                     [| and2(not1(init),$zi) |])) tmpRes

          zReg     = $(register (m+n)) (step,newZ)
          (zL,zH)  = $(wSplit m n) zReg
          (cy,sumN) = $(wordAdder n) (zero,maskedY,zH)
          tmpRes   = $(skelWire [m-1,n,1] (\ [_:l,h,c]->[l++h++c]))
                   (zL,sumN,cy)

          initCount = $(skelWire [2] (\ [[z,e]] -> [(z:replicate (m-1) e)]))
                   (one,zero)

          (ready,_) = $(shRegister m) (init,step,zero,initCount)
          resultReg = $(register (m+n)) (ready,tmpRes)
    in (flipflop(step,ready),resultReg)
  
```

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Index Transformations (1)

- Specification: composition of wiring Functions
- Implementation: single function
- Solution
 - express wiring functions as $[[Int]] \rightarrow [[Int]]$
 - compose them by Haskell composition
 - calculate their effect on static indices
 - generate function which establishes this effect

Index Transformations (2), Examples

- Split an $(m+n)$ bundle into parts of sizes m and n

```
(zL, zH) = $(wSplit m n) zReg
```

- Shift function on bundles of sizes $(m-1)$, n , and 1

```
tmpRes = $(skelWire [m-1, n, 1]
                  (\ [_:1, h, c] -> [1++h++c]))
        (zL, sumN, cy)
```

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Conclusions, from the User's Point of View

- Available
 - optional tool, compatible with hand-written designs
 - features by parameterization
 - 32 or 64 bit wordsize?
 - how many registers?
 - multiplier: how many bits in parallel?
- Still to be done:
 - domain-specific syntax and error messages
 - netlist generation

Conclusions, from the Implementer's Perspective

- Benefits from the expressive comfort in Haskell
 - compositionality (ex. wiring functions)
 - lexical scoping (ex. multiplexer)
- Similar to dependent types, without loss of
 - decidability of type inference
 - programming comfort (restrictions are local, imposed by skeletons)
- Parameterization without
 - need for extreme mathematical efforts
 - large case distinctions in the code
- Yet another example for the benefit of skeletons, especially if they are generated

Thank You for Your Attention!

Questions ?

Project page

<http://www.infosun.fmi.uni-passau.de/cl/metaprogram/>